# Case study 2

# Analysis of Pile Groups of *Dashwood House* in London by the Program *ELPLA*



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# Preface

As a practical example of piled raft and pile groups by *ELPLA*, a case is dealt with in order to assess the accuracy of the different calculation methods of piled raft and pile groups. The case under study is a high-rise building in London (*Dashwood House*), which is examined as special case of piled raft, when no interaction between pile-raft and raft-soil is taken into account. The tower stands on pile groups. Using the existing field test data of the subsoil and the field results of the raft settlements and pile loads, this case study provides a good opportunity to evaluate the various calculation methods available in *ELPLA*.

The case was examined by Hattab (2007) in a thesis under the supervision of:

Prof. *R Herrman* Professor of Geotechnical and Foundation Engineering at the Siegen University

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The original work of this case study was in German. Editing and translation of the case study are carried out with the help of

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#### 2 Case study 2: Pile Groups of Dashwood House in London

#### 2.1 General

*Hong et al.* (1999) applied a method for analyzing large vertically loaded pile groups using loadtransfer curves (*NPRLT*) on the piled raft of *Dashwood House*. They compared the computed settlement with that of the field measurement reported by *Hooper* (1979). In this case study, the computed and measured settlement of this piled raft is used to verify the methods for analyzing piled raft and pile groups available in *ELPLA*.

Dashwood House (Figure 2-1) is a high building of 15-storey floors with a single storey basement located in North London, England. The building is 61 [m] high. The foundation of Dashwood House is a rectangular piled raft of area 33 [m] by 31.5 [m]. The building load including the raft weight is 274 [MN]. A total of 462 bored piles are located under the raft. All piles have a length of l = 15 [m] and a diameter of D = 0.485 [m]. Piles are arranged on a square grid of 1.5 [m] interval. The subsoil at the building location consists of 8 [m] of fill, sand and gravel, followed by London clay. The raft is founded on gravel about 1 [m] above the upper clay surface. In their analysis for simplicity, Hong et al. (1999) considered the raft resets on the London clay directly.



Figure 2-1 Dashwood House raft with piles

# 2.2 FE-Net

The raft with the dimensions 33  $[m] \times 31.5 [m]$  is to be calculated. It is divided into elements with a maximum length of 1.5 [m] in x- and y-directions, as shown in Figure 2-2. The piles are divided into line elements with a length of 3.75 [m].



Figure 2-2 FE-Net of the raft with piles

#### 2.3 Pile and raft material

The raft thickness is 0.9 [m]. All piles are equal in diameter and length, where pile diameter is 0.485 [m], while pile length is 15 [m]. The following values are used for pile and raft material:

#### For the raft:

Modulus of elasticity <i>Poisson's ratio</i> Unit weight	$E_p  onumber  u_p  onumber  gamma between the second sec$	= = =	20 000 0.25 25	[MN/m <sup>2</sup> ] [-] [kN/m <sup>3</sup> ]
For the piles:				
Modulus of elasticity Unit weight	$E_p \ \gamma_b$	=	30 000 25	[MN/m <sup>2</sup> ] [kN/m <sup>3</sup> ]

#### 2.4 Soil properties

The following section describes all soil parameters and constants, those used to carry out the analysis by *ELPLA* and other selected methods for comparison for London clay, which is classified as overconsolidated clay.

#### 2.4.1 Undrained cohesion

The undrained cohesion of London clay increases with depth and can be approximated according to *Hong et al.* (1999) by the following linear relation:

$$c_u = 150 + 6.67z \tag{2.1}$$

where:

 $c_u$  Undrained cohesion of London clay [kN/m<sup>2</sup>]

*z* Depth measured from the clay surface [m]

#### 2.4.2 Poisson's ratio

*Poisson's* ratio of London clay is taken to be  $v_s = 0.25$  [-].

#### 2.4.3 Modulus of elasticity of London clay

Hong et al. (1999) used a ratio of 200 between the shear modulus G and the undrained cohesion  $C_u$  to get a variable shear modulus of the soil.

$$G = 200c_u = 200(150 + 6.67z) \tag{2.2}$$

The relationship between the shear modulus G and modulus of elasticity E is given by:

$$G = \frac{E}{2\left(1 + v_s\right)} \tag{2.3}$$

Substituting Eq. (2.2) into Eq. (2.3) and taking *Poisson's* ratio of the clay  $v_s = 0.25$  [-] leads to:

$$E = E_o \left( 1 + 0.0445 \, z \right) \tag{2.4}$$

where:

G Shear modulus [kN/m<sup>2</sup>]

- E Modulus of elasticity of London clay [kN/m<sup>2</sup>]
- $v_s$  Poisson's ratio of the soil [-]
- $E_o$  Initial Modulus of Compressibility,  $E_{so} = 75000 \text{ [kN/m^2]}$

#### 2.4.4 Limit pile load *Ql*

The mean undrained cohesion  $c_u$  of the London clay is taken as  $c_u = 200$  [kN/m2]. *Russo* (1998) suggested a shaft friction of 180 [kN/m<sup>2</sup>] for undrained shear strength of 200 [kN/m<sup>2</sup>]. To carry out the analysis using a hyperbolic function, a shaft friction of  $\tau = 180$  [kN/m<sup>2</sup>] is assumed. The limit pile load *Ql* for a pile of length = 15 [m] can be calculated as follows:

$$Ql = \tau \times \pi \times D \times l = 180 \times \pi \times 0.485 \times 15 = 4114 [kN] = 4.1 [MN]$$
(2.5)

where:

- $Q_l$  Limit pile load, [MN]
- $\tau$  Limit shaft friction,  $\tau = 180 \text{ [kN/m^2]}$
- *D* Pile diameter, [m]
- *l* Pile length, [m]

The limit pile load  $Q_l$  is a geometric parameter of the hyperbolic relationship. In some cases, the value of  $Q_l$  is different from the actual ultimate pile load.  $Q_l = 1.5$  to 2  $Q_u$ , where  $Q_u$  is the ultimate pile load.

#### 2.4.5 Groundwater

Groundwater in typical London clay lies within 1.0 [m] of the soil surface (*Rickard et al.* (1985)). Groundwater is assumed to be directly under the raft at a depth of 1.0 [m].

#### 2.4.6 Boring log

A soil layer of H = 100 [m] thickness is considered. For the calculation, the entire layer of the subsoil, as shown in the borehole profile in Figure 2-3, was assumed to have 10 layers.

GW 0.00		BP1		
-	T _10.00		E =90000[kN/m2],FHI = 0[°] W =90000[kN/m2],C = 200[kN/m2] GAM = 8.69[kN/m3],Nue = 0.25[-]	5.00
	T 20.00	լույ Կուս	$E = 125000 [kN/m2], FHI = 0[^{\circ}]$ W = 125000 [kN/m2], C = 200 [kN/m2] GAM = 8.69 [kN/m3], Nue = 0.25[-]	15.00
	T 30.00	լերյեր լեղեր	E = 160000[kN/m2],FHI = 0[°] W = 160000[kN/m2],C = 200[kN/m2] GAM = 8.69[kN/m3],Nue = 0.25[-]	25.00
	T 40.00		E = 190000[kN/m2],FHI = 0[°] W = 190000[kN/m2],C = 200[kN/m2] GAM = 8.69[kN/m3],Nue = 0.25[-]	35.00
	T 50.00		$E = 225000 [kN/m2], FHI = 0[^{\circ}]$ W = 225000 [kN/m2], C = 200 [kN/m2] GAM = 8.69 [kN/m3], Nue = 0.25[-]	45.00
	T 60.00		E = 260000 [kN/m2], FHI = 0[°] W = 260000 [kN/m2], C = 200[kN/m2] GAM = 8.69 [kN/m3], Nue = 0.25[-]	55.00
	T 70.00		E = 290000 [kN/m2], FHI = 0[°] W = 290000 [kN/m2], C = 200[kN/m2] GAM = 8.69 [kN/m3], Nue = 0.25[-]	65.00 70.00
	T 80.00	իդերի հերդերի	$E = 325000 [kN/m2], FHI = 0[^{\circ}]$ W = 325000 [kN/m2], C = 200 [kN/m2] GAM = 8.69 [kN/m3], Nue = 0.25[-]	75.00
	T 90.00		$E = 360000 [kN/m2], FHI = 0[^{\circ}]$ W = 360000 [kN/m2], C = 200 [kN/m2] GAM = 8.69 [kN/m3], Nue = 0.25[-]	85.00
	T 100.00		$E = 390000[kN/m2],FHI = 0[^{\circ}]$ W = 390000[kN/m2],C = 200[kN/m2] GAM = 8.69[kN/m3],Nue = 0.25[-]	95.00 100.0

T, Clay



## 2.5 Loads

The total load including the own weight of the raft and piles is 274 [MN]. The load is applied as a uniform load of 264  $[kN/m^2]$ .

#### 2.6 Analysis of the pile groups

To show the difference between the results of the *Dashwood House* pile group in different analyses, a total of 13 analyses are carried out using *ELPLA* as follows:

No.	Method	Linearity of the analysis	Short symbol
1	Linear Contact Pressure	-	-
2	Madalaa of Calaria da	Linear analysis	LPR
3	Position	Nonlinear analysis using Hyperbolic function	NPRH
4	Reaction	Nonlinear analysis using DIN 4014/ Now DIN 1054	NPRD
5	Modulus of	Linear analysis	LPR
6	Compressibility for	Nonlinear analysis using Hyperbolic function	NPRH
7	elastic raft	Nonlinear analysis using DIN 4014/ Now DIN 1054	NPRD
8	Modulus of	Linear analysis	LPR
9	Compressibility for rigid	Nonlinear analysis using Hyperbolic function	NPRH
10	raft	Nonlinear analysis using DIN 4014/ Now DIN 1054	NPRD
11		Linear analysis	LPR
12	Rigid free-standing raft	Nonlinear analysis using Hyperbolic function	NPRH
13		Nonlinear analysis using DIN 4014/ Now DIN 1054	NPRD

Table 2-1 Analysis methods of the raft with piles

#### Meaning of short symbols LPR, NPRH and NPRD in Table 2-1:

- Nonlinear analysis using DIN 4014 (*NPRD*)
- Nonlinear analysis using Hyperbolic function (NPRH)
- Linear analysis (*LPR*)

*NPRD* was developed by *El Gendy et al.* (2006), while *NPRH* and *LPR* were developed by *El Gendy* (2007a).

#### 2.7 Results

Results of the settlements for the various analyses are presented in contour lines and isometric views from Figure 2-4 to Figure 2-15. Contact pressures are presented as circle diagrams in Figure 2-16 to Figure 2-24. Pile loads are presented as circular diagrams in Figure 2-25 to Figure 2-37.

#### 2.7.1 Settlements

#### 2.7.1.1 Settlements obtained by Modulus of Subgrade Reaction



Figure 2-4 Settlements [cm] - LPR - Max. s = 0.24 [cm], Min. s = 0.23 [cm]



Figure 2-5 Settlements [cm] - NPRH - Max. s = 0.28 [cm], Min. s = 0.27 [cm]



Figure 2-6 Settlements [cm] - NPRD - Max. s = 0.50 [cm], Min. s = 0.49 [cm]

2.7.1.2 Settlements obtained by Modulus of Compressibility for elastic raft



Figure 2-7 Settlements [cm] - LPR - Max. s = 3.41 [cm], Min. s = 1.55 [cm]

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Figure 2-8 Settlements [cm] - NPRH - Max. s = 4.12 [cm], Min. s = 1.67 [cm]



Figure 2-9 Settlements [cm] - NPRD - Max. s = 3.84 [cm], Min. s = 1.76 [cm]



2.7.1.3 Settlements obtained by Modulus of Compressibility for rigid raft

Figure 2-10 Settlements [cm] - LPR - s = 2.24 [cm]



Figure 2-12 Settlements [cm] - NPRD - s = -1.93 [cm]



2.7.1.4 Settlements obtained by Modulus of Compressibility for free-standing rigid raft

Figure 2-13 Settlements [cm] - LPR - s = 2.24 [cm]



Figure 2-14 Settlements [cm] - NPRH - s = 3.46 [cm]



Figure 2-15 Settlements [cm] - *NPRD* - *s* = 2.95 [cm]

#### 2.7.2 Contact pressures



#### 2.7.2.1 Contact pressures obtained by Modulus of Subgrade Reaction

Figure 2-16 Contact pressures  $[MN/m^2] - LPR - Max$ .  $q = 17 [kN/m^2]$  at the edges



Figure 2-17 Contact pressures  $[MN/m^2] - NPRH - Max. q = 20 [kN/m^2]$  at the edges



Figure 2-18 Contact pressures  $[MN/m^2] - NPRD - Max. q = 35.4 [kN/m^2]$  at the edges



2.7.2.2 Contact pressures obtained by Modulus of Compressibility for elastic raft

Figure 2-19 Contact pressures  $[MN/m^2] - LPR - Max. q = 0.4 [MN/m^2]$  at the edges



Figure 2-20 Contact pressures  $[MN/m^2] - NPRH - Max. q = 0.4 [MN/m^2]$  at the edges



Figure 2-21 Contact pressures  $[MN/m^2] - NPRD - Max$ .  $q = 0.4 [MN/m^2]$  at the edges



#### 2.7.2.3 Contact pressures obtained by Modulus of Compressibility for rigid raft

Figure 2-22 Contact pressures  $[MN/m^2]$  - *LPR* - Max.  $q = 10.3 [MN/m^2]$ 



Figure 2-23 Contact pressures  $[MN/m^2]$  - *NPRH* - Max.  $q = 1.9 [MN/m^2]$  at the edge



Figure 2-24 Contact pressures  $[MN/m^2] - NPRD - Max. q = 3.6 [MN/m^2]$  at the edge

#### 2.7.3 Pile loads

2.7.3.1 Pile loads obtained by Linear Contact Pressure



Figure 2-25 Pile loads *Ph* [MN]



2.7.3.2 Pile loads obtained by Modulus of Subgrade Reaction

Figure 2-26 Pile loads Ph [MN] - LPR



Figure 2-27 Pile loads Ph [MN] - NPRH



Figure 2-28 Pile loads Ph [MN] - NPRD



2.7.3.3 Pile loads obtained by Modulus of Compressibility for elastic raft

Figure 2-29 Pile loads Ph [MN] - LPR



Figure 2-30 Pile loads Ph [MN] - NPRH



Figure 2-31 Pile loads Ph [MN] – NPRD

2.7.3.4 Pile loads obtained by Modulus of Compressibility for rigid raft



Figure 2-32 Pile loads *Ph* [MN] - *LPR* 



Figure 2-33 Pile loads Ph [MN] – NPRH



Figure 2-34 Pile loads Ph [MN] - NPRD



2.7.3.5 Pile loads obtained by Modulus of Compressibility for free-sanding raft

Figure 2-35 Pile loads *Ph* [MN] - *LPR* 



Figure 2-36 Pile loads Ph [MN] - NPRH



Figure 2-37 Pile loads Ph [MN] – NPRD

#### **2.7.4** Tabulation of the results

Table 2-2 compares between the settlements and bearing factors of pile groups of *Dashwood House* for the various analyses. The table also compares the calculated settlements with the measured settlements.

Method	Analysis	Computed settlements [cm]		Measured settlement	Bearing factor $\alpha_{kpp}$	
	5	Max.	Min.	[cm]	[%]	
Linear Contact Pressure	-	-	-		100	
Madalaa af Calaanada	LPR	0.24	0.23		99.7	
Modulus of Subgrade	NPRH	0.28	0.27		99.7	
Reaction	NPRD	0.50	0.49		99.5	
Modulus of	LPR	3.41	1.55	3.3	94.0	
Compressibility for	NPRH	4.12	1.67		93.6	
elastic raft	NPRD	3.84	1.76		96.3	
Modulus of	LPR	2.24			95.2	
Compressibility for	NPRH	3.23			93.1	
rigid raft	NPRD	No convergence				
Modulus of	LPR	2.24 3.46			100	
Compressibility for	NPRH			3.3	100	
free-standing raft	NPRD	2.9	95		100	

 Table 2-2
 Comparison between the results of the different analyses

*LPR* = Linear analysis

*NPRH* = Nonlinear analysis using Hyperbolic function

NPRD = Nonlinear analysis using DIN 4014

#### 2.8 Evaluation

Figure 2-38 to Figure 2-41 show diagrams of the maximum settlements, bearing factors, pile reaction and raft reaction for pile groups of the *Dashwood House* using different analyses.

#### 2.8.1 Maximum settlements



Figure 2-38 Maximum settlements [cm]

#### **2.8.2** Bearing factors $\alpha_{kPP}$





Figure 2-39 Bearing factors  $\alpha_{kPP}$  [%]



#### 2.8.3 Pile reaction and raft reaction

Figure 2-40 Pile reaction [MN]



Figure 2-41 Raft reaction [MN]

#### 2.8.4 Available measurements and analyses

Hong et al. (1999) applied a method for the analysis of large vertically loaded pile groups using load-transfer curves (*NPRLT*) on the piled raft of *Dashwood House*. They compared the computed settlement with that of the field measurement reported by *Hooper (1979)*. The computed settlement of *Dashwood House* according to *Hong et al. (1999)* with *NPRLT* was 4.0 [cm], while the measured settlement according to *Hooper (1979)* was 3.3 [cm]. The authors obtained good agreement between the measured and calculated results.

*El Gendy* (2007b) considered the foundation of *Dashwood House* as a rigid pile groups founded on a very deep layer of clay. According to his method for analyzing pile groups using Compression Index  $C_c$  and the Initial Void Ratio  $e_o$ , the calculated settlement was 2.9 [cm].

#### 2.8.5 Discussion of Results

In most calculations, the behavior of the pile groups of *Dashwood House* is similar to that of the *Stonebridge Tower*. Both have almost the same pile arrangement, loads and soil conditions. The following conclusions can be drawn from the results of the various calculation methods:

#### 2.8.5.1 Linear Contact Pressure

- Due to the symmetry of the system, Linear Contact Pressure gives the same pile load on every pile.
- The bearing factor obtained by Linear Contact Pressure is 100%, while for all calculation methods, it is between 93% and 100%.
- The pile loads obtained by Linear Contact Pressure of such a system are similar to those obtained by Modulus of Subgrade Reaction (Figure 2-25 to Figure 2-28). Therefore, the moments in Linear Contact Pressure and Modulus of Subgrade Reaction are similar.
- In Linear Contact Pressure, there is no interaction between the soil and the raft or the piles. Therefore, the settlements cannot be estimated by this method.

#### 2.8.5.2 Modulus of Subgrade Reaction

- Modulus of Subgrade Reaction gives the smallest settlements (Figure 2-4 to Figure 2-6 and Table 2-2). If one compares the computed settlement with the measured settlement, the result is a difference of 85% to 93%. This means that the results of the settlements obtained by Modulus of Subgrade Reaction are incorrect.
- The nonlinear analysis (*NPRH*, *NPRD*) gives larger settlements under all nodes of the raft than the linear analysis (*LPR*), as shown in Figure 2-4 to Figure 2-6.
- Modulus of Subgrade Reaction has the smallest contact pressures compared to the Modulus of Compressibility. The contact pressure is at the edges of the raft and gives the maximum value (Figure 2-16 to Figure 2-18).
- Pile loads are constant for all piles and have the same value according to both the linear *LPR* and the nonlinear (*NPRH*, *NPRD*) (Figure 2-26 to Figure 2-28).
- Bearing factors from the nonlinear analysis (*NPRH*, *NPRD*) are smaller than those from the linear analysis (*LPR*), as shown in Table 2-2.
- The difference between the bearing factor by the linear analysis and the nonlinear analysis for *NPRH* and for *NPRD* is small. In the nonlinear analysis, it is 0% for *NPRH* and 0.2% for *NPRD* as shown in Table 2-2.

#### 2.8.5.3 Modulus of Compressibility

- Modulus of Compressibility for the elastic raft gives the settlements as contours in an oval shape (ellipse). The settlements increase from the outside to the inside. The maximum settlement is in the middle (Figure 2-7 to Figure 2-9).
- Modulus of Compressibility for the rigid raft gives a uniform settlement across the raft (Figure 2-10 to Figure 2-12). Figure 2-12 shows a negative settlement in the non-linear analysis (*NPRD*). There is no convergence in the solution when using this method.
- The settlements of the nonlinear analyses (*NPRH*, *NPRD*) are larger than the settlements of the linear analysis (*LPR*).
- The contact pressures obtained by Modulus of Compressibility for the elastic raft are located at the edges of the raft and increase from the corners to the middle of the edges (Figure 2-19 to Figure 2-21). The *NPRH* method gives the maximum contact pressure.
  - The contact pressures obtained by Modulus of Compressibility for the rigid raft are at the edges of the raft. The contact pressures by *LPR* and *NPRH* increase from the middle of the edges to the corners. The maximum contact pressure at the corners. *NPRD* gives the maximum contact pressures in the middle of the longest edge of the raft. A sign change takes place at the same edge. Therefore, negative base pressures result at the remaining edges including corners. (Figure 2-22 to Figure 2-24).
  - The contact pressures obtained by Modulus of Compressibility for the rigid pile group are zero due to the lack of contact area between the raft and the subsoil.
  - The largest pile loads obtained by Modulus of Compressibility for the elastic raft are in the central area of the raft (Figure 2-29 to Figure 2-31).
  - The largest pile loads obtained by Modulus of Compressibility for the rigid raft are at the edges and corners for *LPR*, *NPRH*, where for *NPRD* there is a sign change in the pile loads along the longest edge. The largest and positive pile loads are distributed in the middle over the entire width (Figure 2-32 to Figure 2-34).
  - The pile loads obtained by Modulus of Compressibility for the rigid pile group increase from the center of the raft to the edges and corners. The maximum pile loads are at the edges and corners of the raft (Figure 2-35 to Figure 2-37).
  - Bearing factors from the nonlinear analysis (*NPRH*, *NPRD*) are generally smaller than those from the linear analysis (*LPR*).

In general, the following can be seen from the results of the various calculation methods:

- The settlements by nonlinear analyses (*NPRH*, *NPRD*) are greater under all nodes of the raft than those by the linear analyses (*LPR*), Table 2-2.
- Bearing factors are between 93% and 100% (Table 2-2).
- The pile reaction is almost 100%. In a piled raft, both elements (pile, raft) work together.
- The system for the rigid pile group is therefore governing.

#### 2.8.6 Conclusions

Due to the small distance between the individual piles, the system is considered without a contact area and thus without the interaction between raft-soil and raft-piles. Consequently, results of the piled raft are similar to those of pile groups. Therefore, the calculation of the system as pile groups is suitable. Results of the settlements obtained by Modulus of Compressibility for the elastic raft, the rigid raft and the rigid pile groups are acceptable.

Modulus of Compressibility for the rigid pile groups is governing. A settlement of 3.3 [cm] was measured. According to Modulus of Compressibility for rigid pile groups using DIN 4014 (*NPRD*) one obtains 2.95 [cm] and using the hyperbolic function (*NPRH*) one obtains 2.18 [cm]. Modulus of Subgrade Reaction gives unrealistic values.

#### 2.8.7 Recommendations

Table 2-3 shows the recommended calculation methods for pile groups of *Dashwood Houses* and similar foundation systems. As a result of the comparative calculations, it is recommended to be on the safe side to select the type of calculation method for the piled raft or pile groups according to the list in Table 2-3. One can use these methods for similar piled raft or pile groups lying on clay layers as in Frankfurt and London. In the tables, the calculation method is considered acceptable if the difference between the measured settlement and the computed settlement is less than 20%.

Table 2-3         Case study 1: Pile groups of Dashwood Tow	ver in Londo	n				
33.0 [m]						
Description of the case:						
Height = 61						
Number of floors = 14						
Foundation area $= 33 \text{ [m]} \times 31.5 \text{ [m]}$						
Raft thickness $= 0.9 [m]$						
Load $= 264 [kN/m^2]$						
Number of piles $= 462$						
Pile length = 15 [m]						
Pile diameter $= 0.489 \text{ [m]}$						
Pile spacing = 1.5 [m]						
Recommended calculation methods	Computed	Measured	Difference			
	settlement	settlement	[%]			
	[cm]	[cm]				
Modulus of Compressibility for rigid piled raft - NPRD	3.41		3			
Modulus of Compressibility for rigid piled raft - NPRH	3.84		16			
Modulus of Compressibility for pile groups - LPR	3.23	3.3	2			
Modulus of Compressibility for pile groups - NPRH	3.46		5			
Modulus of Compressibility for pile groups – NPRD	2.95		11			

Table 2-3Case study 1: Pile groups of Dashwood Tower in London

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